



## Approximate C<sub>v</sub> Required For Freeze Protection of Uninsulated\* Water Lines

1) GPM = 
$$\frac{A_1A_2(0.5t_w - t_a + 16)}{40.1 d^2(t_w - 32)}$$

- Where: GPM = gallons per minute of water flow
  - $A_1$  = pipe flow area,  $ft^2$
  - $A_2$  = exposed pipe surface area,  $ft^2$
  - $t_w$  = temperature of resupply water, °F
  - ta = minimum air temperature, °F
  - d = ID of pipe, ft

2) 
$$C_v = \frac{GPM}{\sqrt{\Delta P}}$$
 Where: GPM = gallons per minute of water flow  
 $C_v = \text{total required } C_v \text{ of valves}$   
 $\Delta P = \text{pressure drop across valves}$   
(if valves discharge to atmosphere  
 $\Delta P = P_s$  where  $P_s$  is supply pressure.)

EXAMPLE: Freeze protect a 125 foot long run of **2**<sup>"</sup> pipe when the minimum air temperature is -15 °F. The resupply water is 40 °F minimum, at 60 psig.

From pipe data chart, for 2" schedule 40 pipe:  $A_1 = 3.36$  sq. in. = 0.023 ft<sup>2</sup>  $A_2 = 0.622$  ft <sup>2</sup>/ft x 125 ft = 77.8 ft<sup>2</sup> d = 2.067 in. = 0.172 ft

also: t<sub>w</sub> = 40 °F t<sub>a</sub> =-15°F

$$2)C_{v} = 96_{\sqrt{60}} = 1.24$$

Chose the valve or valves required to give a  $C_v$  of 1.24 or more; in this case a single C port ASDV. In some cases, a single valve will suffice; however, the use of several smaller valves will improve reliability.

\*For properly insulated lines, use 25% of the  $C_{\rm V}$  indicated as an approximation of required  $C_{\rm V}.$ 

9.6